







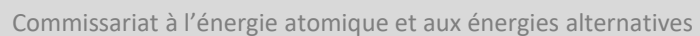


DE LA RECHERCHE À L'INDUSTRIE

MANTA – the CEA's future platform for simulations in mechanics

Codes et calculs implicites / explicites

| | Méthodes implicites | Méthodes explicites |
|---|---|--|
| Principaux problèmes traités | Quasi-statique, dynamique lente, vibration | Dynamique rapide |
| Stabilité | Inconditionnellement stables  | Pas de temps critique (petit!) de stabilité  |
| Robustesse pour problèmes fortement non-linéaires | Faible  | Importante  |
| Code de calcul de mécanique développé au CEA | Cast3M  |  |



► Forces

- Souple et évolutif (lié à la structuration type « boîte à outils »)
- Solution tout-en-un : maillage + résolution + post-traitements
- Large spectre d'applications (vastes acquis capitalisés)
toujours en expansion (simplicité de développement)
- Robustesse des algorithmes

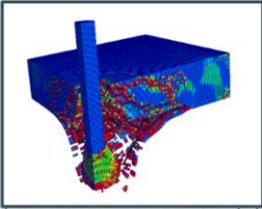


► Faiblesses

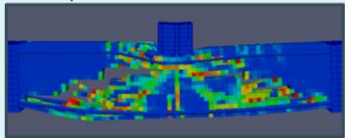
- Performances limitées (parallélisation en mémoire partagée uniquement)
→ qqs Mdofs max
- Attractivité limité du code informatique (langage, interfaçage, ...)
- Information parfois difficile d'accès : notices, exemples et documentation épars



Structure



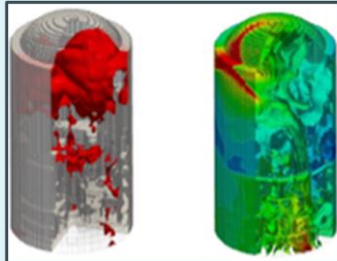
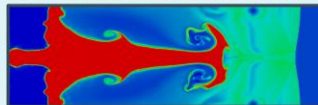
Impact on a concrete slab



Impact on a beam without reinforcement

- Finite Elements
- Erosion
- Damage
- Plasticity
- Sliding contact

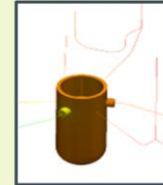
Fluid

 H_2 explosion in a Pressurized Water Reactor

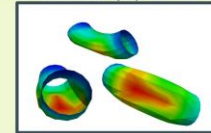
Richtmyer-Meshkov instability

- Finite Volumes
- Combustion model
- Adaptative Mesh Refinement

Pipeline systems



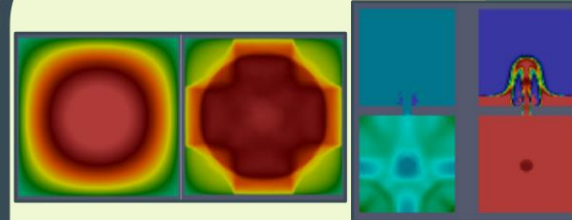
Loss of coolant accident in a Pressurized Water Reactor pipeline system



Plastic strain of a 3D pipe

- 2D/3D finite volumes
- 1D variable cross-section elements
- 1D/3D coupling elements
- Flexible pipes

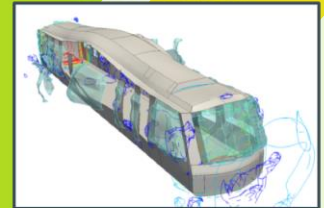
Multiphysics



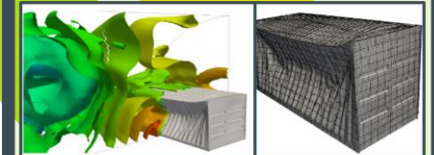
Neutronic power, pressure and liquid volume fraction in a Molten Salt Reactor (criticality accident)

- Interoperability
- External and partitioned coupling
- MED format
- Coupling interface framework

Fluid-structure interaction



Explosion in a subway train



Explosion near a container

- Arbitrary Lagrangian Eulerian
- Mediating Body Method
- Weak and strong coupling

► Forces

- Développement collaboratif
 - Propriété CEA + Commission européenne
 - Consortium de développement avec EDF, ONERA et Safran Tech
- Solveur explicite efficace pour le CEA et ses partenaires
 - Modèles adaptés notamment pour l'IFS : solveurs et méthodes dédiées
 - Recherche de performance (historiquement, résolution de gros problèmes en séquentiel)



→ Répond au besoins actuels (~calcul sur 10 M éléments sur 100 proc possible), mais avec certaines limites ...

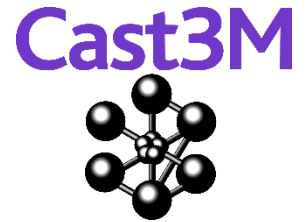
► Faiblesses

- Besoins plus importants notamment pour explosion, IFS, ...
- Développements parallèles (mémoire distribuée) très complexes



► Bilan :

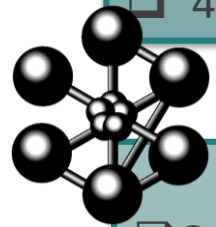
- Codes qui répondent encore au besoin actuel des ingénieurs et des industriels
 - Codes pour la **recherche à finalité industrielle**
 - Evolution continue des **modèles** et des **fonctionnalités** des codes & **capitalisation**
 - Equipes expertes mais dimensionnées au plus juste (risque de perte de compétence)
- Codes qui montrent leurs limites face aux demandes des chercheurs et aux exigences du HPC
 - Confirmé par le REX des proto-applications à vocation HPC : Passmo (séisme), Helix (thermomécanique statique) et Mefisto (explicite IFS)
- Codes « **anciens** » : être conscient des **forces** et des **faiblesses**
 - Force : héritage des modèles et du savoir-faire technique, codes éprouvés → maintenance limitée
 - Faiblesse : difficile transmission des compétences (documentation), dettes techniques, stratégies numériques à rénover



MANTA



- ☐ Explicit dynamics for structures and compressible fluids
- ☐ Fluid / structure interactions
- ☐ Industrial applications
- ☐ Finite-elements, finite-volumes, sph, discrete element method
- ☐ ~40 years of development



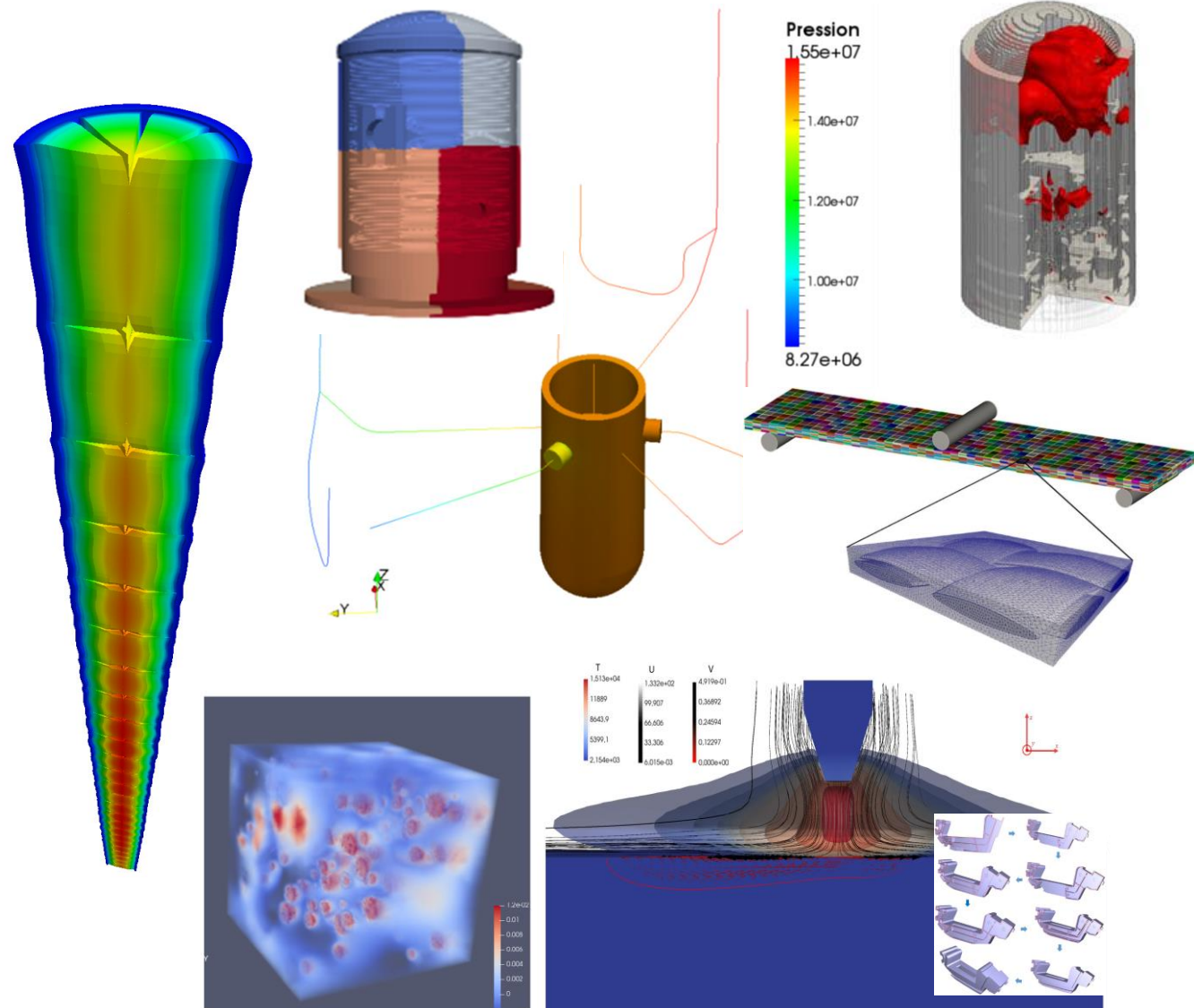
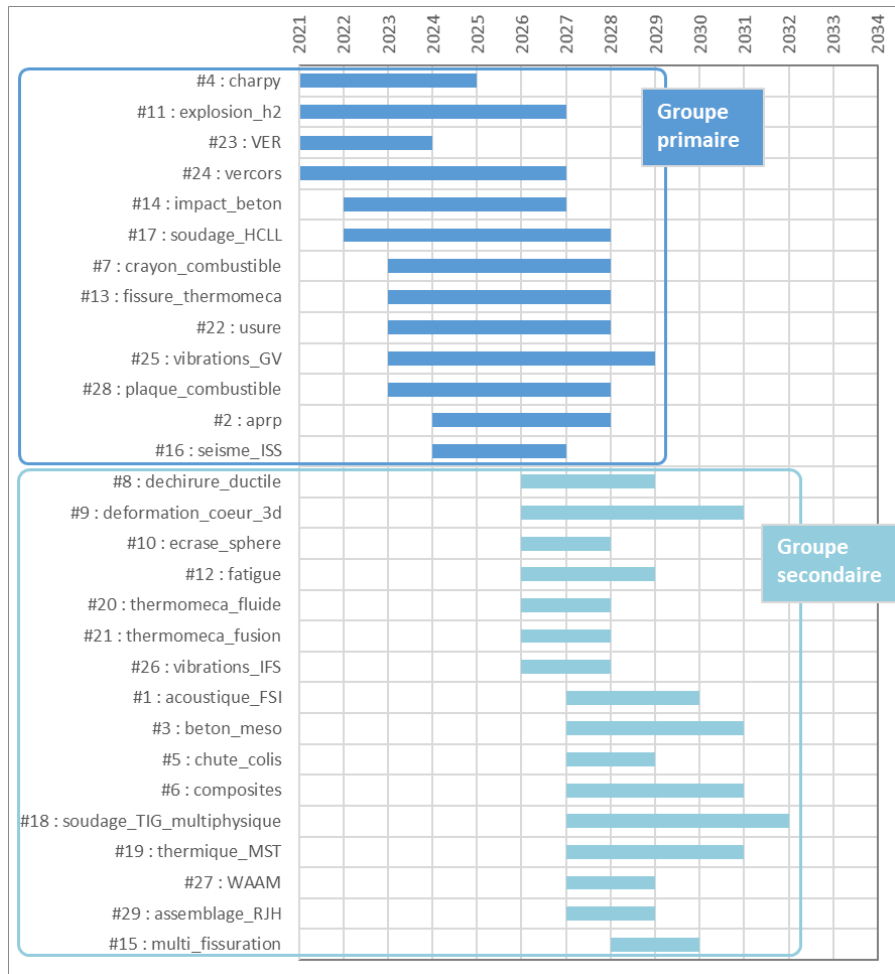
- ☐ Generic tool for “implicit problems”
- ☐ Mainly geared for (non-linear) mechanics
- ☐ ... but also applied to incompressible fluids, electromagnetism, metallurgy, ...
- ☐ Industrial applications
- ☐ Finite-elements
- ☐ ~40 years of development

2030: industrial operation



- ☐ Next gen., HPC oriented
- ☐ Structure / compressible fluids / ... , interactions
- ☐ Industrial applications
- ☐ Every mesh-based method (FE, FV, HDG, ...)
- ☐ C++
- ☐ “automatic parallelism”
- ☐ Easy to maintain and evolve on the long term
- ☐ Open-source

- Evolving set and scheduling of target applications
- 29 target applications up to now



❑ Target industrial applications

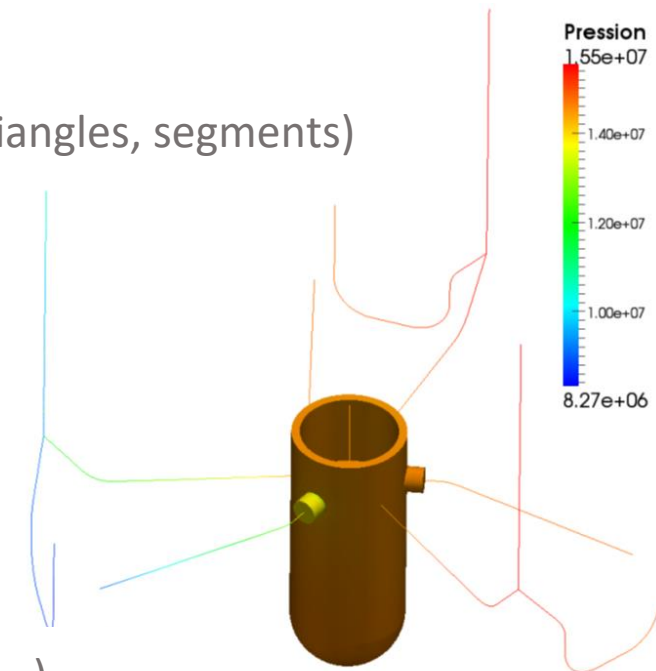
- Multi PDE
- Lagrangian, Eulerian, ALE approaches
- Multi “areas” (more general than “multi-material”: may overlap, not cover the whole mesh, ...)
- Multi topological dimension (Volume, shell, beam elements in a single calculation)
- Various geometrical supports (tetrahedral, hexahedra, prims, pyramids, quadrangles, triangles, segments)
- Very high “flexibility”, which may affect performances

❑ HPC

- Native distributed parallelism
- Total distribution of the data, workload
 - No specificity of the process 0
 - No array of size $O(\text{global numerical model size})$
- Performance portability: ability to adapt to various hardware architectures (GPU, ARM, ...)

❑ “Automatic parallelism”

- Code new functionality “as in a sequential code”, and works in //



❑ Keep a low technical debt -> Easy to maintain and evolve

➤ Factorization

- Code
- Numerical methods -> generic “pipeline”

➤ modularity

- Clean and “localized” interfaces to 3rd parties
- “Atomic” usage of 3rd parties functionalities

➤ Rigorous collaborative workflow

- Test battery
- Trackers, merge requests, code review,

❑ APIs

- C++ expert / user
- Python user
- Derive some monolithic (not a lib) executables for specific applications with dedicated input files

❑ Open-source

- GPL (-> LGPL?)
- Private “modules”

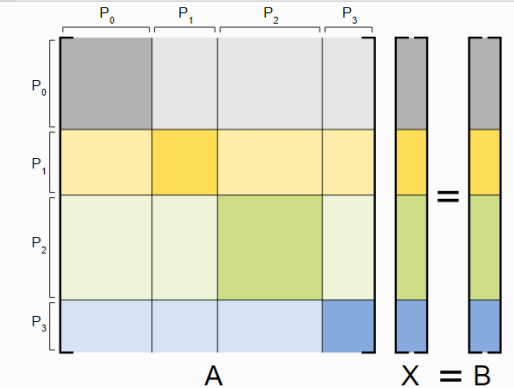
Website

- Developer documentation
- User documentation
- C++ API (doxygen)

Code snippet / commented examples

Content

- Code architecture
 - → developer
- Main data structures
 - → developer
- Main “services” usage (Mesh, fields,...)
 - → developer, user
- End user functionalities (models, time integrators, non-linear solvers, ...)
 - → user
- Theory
 - → user



The constraint sets

For a lot of problems, one would like to 'add constraints' to a linear system $AX = B$ instead of solving:

$$AX = B \iff \min_{x \in \mathbb{R}^n} \frac{1}{2} X^T A X - X^T B \quad (1)$$

where n is the size of the matrix A , one would like to solve:

$$\min_{x \in \mathbb{R}^n, Cx = D} \frac{1}{2} X^T A X - X^T B \iff \begin{bmatrix} A & C^T \\ C & 0 \end{bmatrix} \begin{bmatrix} X \\ \lambda \end{bmatrix} = \begin{bmatrix} B \\ D \end{bmatrix} \quad (2)$$

where C is a $m \times n$ matrix. In the following, X is called the "main unknown" and λ is called the "Lagrange multiplier" or the "constraint unknown".

For this system to be well-posed, it is required that:

- A is non-singular on $\text{Ker}(C)$: $\text{Ker}(A) \cup \text{Ker}(C) = \{0\}$
- $D \in \text{Im}(C)$
- C is full rank: $\text{rank}(C) = m$

As it is described in [this section](#), in MANTA constraint sets are `LinearSystem` instances that are 'attached' to a 'main' `LinearSystem` instance. Several `ConstraintSet` instances can be attached to one `LinearSystem` instance. In this case, if there are q the matrix C and vector D are:

$$C = \begin{bmatrix} C_1 \\ \vdots \\ C_q \end{bmatrix}, D = \begin{bmatrix} D_1 \\ \vdots \\ D_q \end{bmatrix} \quad (3)$$

During the (see [this section](#)) stage of the assembling of the "main" $[A, B]$, the pipeline automatically computes the elementary terms of the C_i matrices, and assemble the C matrix.

Note

The C_i matrices are not assembled, only their elementary terms are computed (the pipeline just triggers the stage for the `constraintSet` instances).

The implicit-explicit unification

❑ Cheaper to develop and maintain

- A lot of common features to share, develop and maintain just once

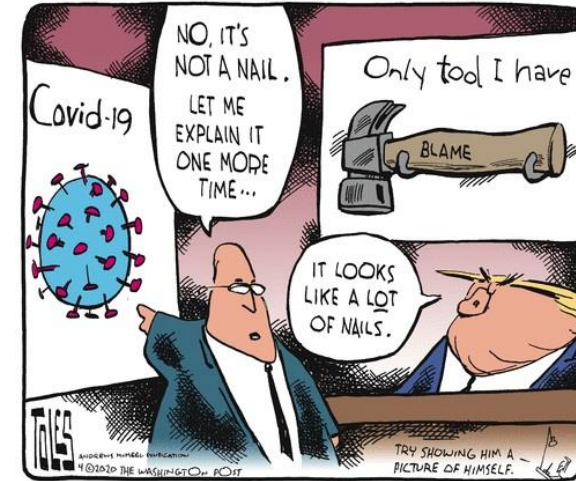
❑ Unification of the explicit and implicit developers communities

- Clearly separated in the framework of the legacy codes

❑ Only one software to master for the end user

❑ Breaks free from the law of the hammer

- Abraham Maslow, 1966, "If the only tool you have is a hammer, it is tempting to treat everything as if it were a nail."
- For both the end-user ...
 - Run better simulation with algorithms more adapted to the considered physical phenomena
- ... and the numerical engineer/scientist
 - Develop better algorithms because the repository code no longer imposes some constraints
 - Enable intra code multiphysics coupling: much more possibilities than with coupling between different codes



❑ Impact on performance ?

➤ What distinguish an “implicit” code from an “explicit” one ?

- matrices
 - “implicit” requires (sparse) matrices
 - “explicit” lumps mass matrices so that it does not need matrices data structures
- Non-linearities
 - “implicit” has algorithms to solve non-linear sets of equation over a time/loading step, unconditional stability but lack of robustness
 - “explicit” does not, great robustness, conditional stability (cfl)
- Cost centers
 - “implicit”: linear system solving
 - “explicit”: assembling of vectors (finite element kinematics, behavior laws, ...)

➤ No apriori tradeoffs

➤ “Implicit-explicit” software structure: implicit code assembling fast

➤ Manta treatment of explicit problems: diagonal linear system, specific resolution methods

❑ Much less impact on performances than the high level of genericity required for a generalist code targeting industrial applications...

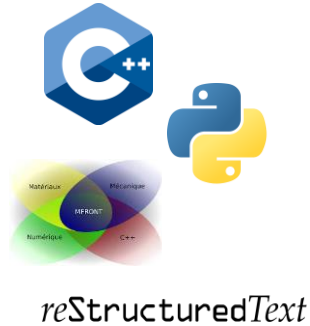
➤ Multi-pde, multi-“zones”, unstructured meshes, ...

❑ ... and “automatic parallelism”

Development workflow

□ Programming languages

- Main language: C++20
- High level API: python (to come...)
- Behavior laws: mfront
- Documentation : reStructuredText



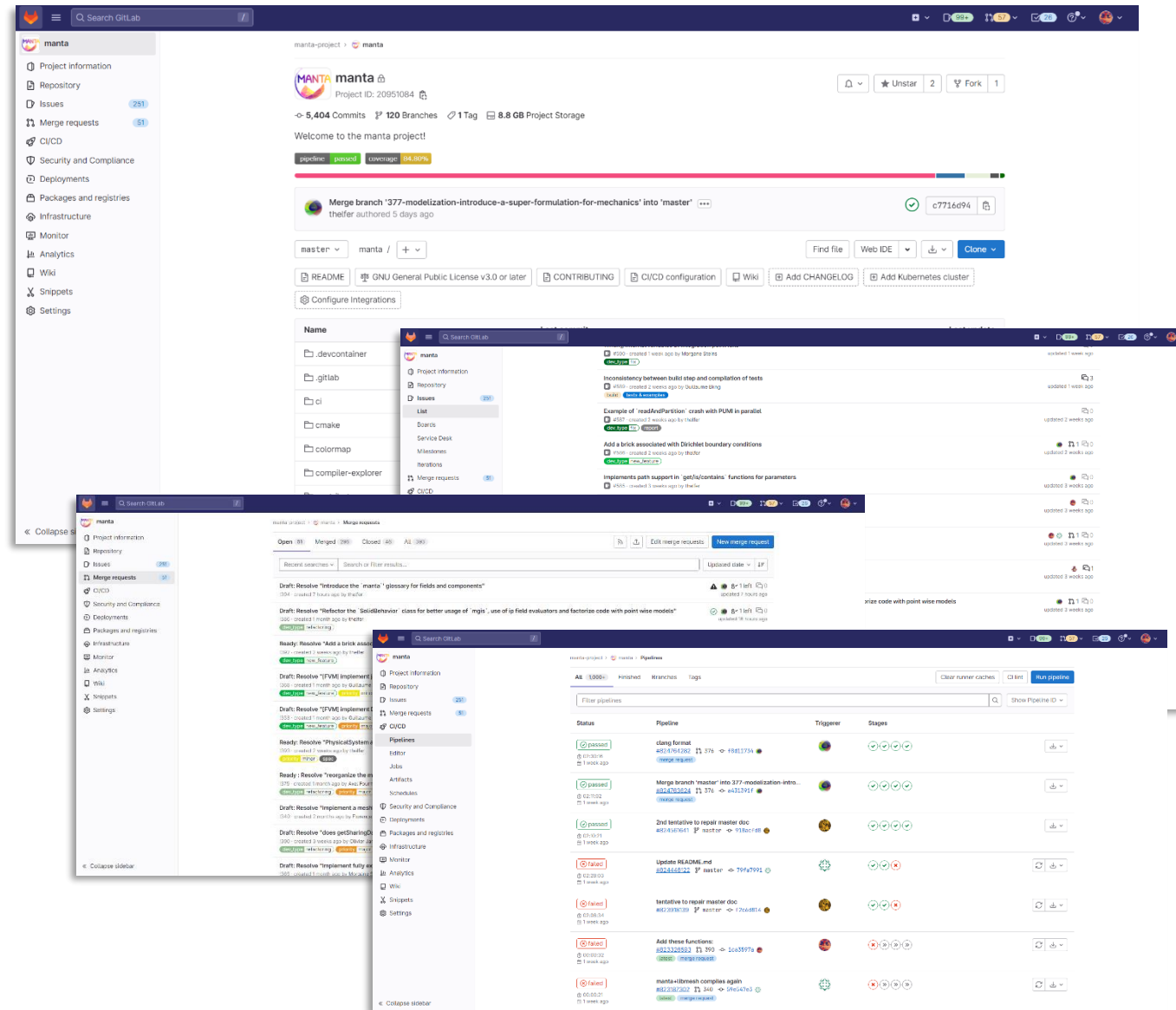
□ Targeted systems

- GNU/Linux
- Laptop → distributed systems with high performance network



□ Very standard workflow and tools

- Git: version control
- Gitlab:
 - Bug/dev tracker, merge requests, labels
 - Code review
 - Tests management (non-regression, V&V)
 - Publish the Documentation
 - Distribute the code
- CEA's Talkspirit:
 - Discussion forum about MANTA
 - Host shared document about MANTA



❑ Several kind of tests

- Non-regression
 - “Integration” (test a single “functionality”)
 - End to end
- Verification: end to end
- Validation (not yet ...)

❑ Every test must be ok to merge a development branch into the master branch in several configurations

- Linux distributions
 - Centos 7.9
 - Debian 11
 - Fedora 36
 - Ubuntu 22
- Build configuration
 - Compiler suite: gcc/clang
 - Optimization level: debug/release
 - Mesh backend: MOAB/PUMI

❑ Code snippet in the documentation

❑ Code coverage (non-blocking)



❑ Everything is in the repository, for each commit

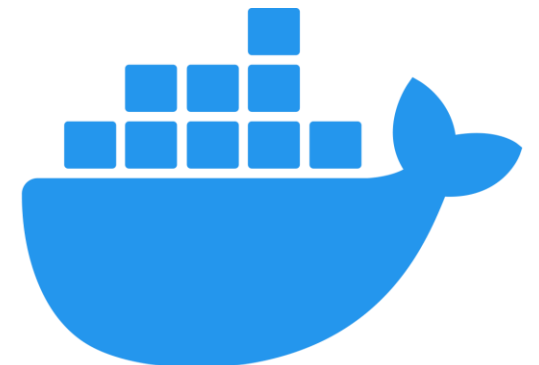
- How to build, with which compiler options: cmake, gitlab.ci
- What are the 3rd parties and their versions (and recursively): spack configuration file
- On which tests configurations it has been tested: gitlab.yml
- How the linux distributions used for testing has been set up: scripts and configuration files to generate and configure docker images
- The .front files to generate the behaviors



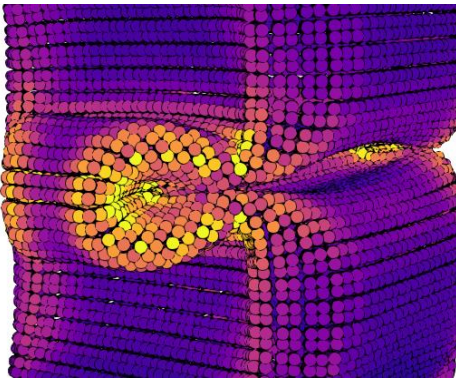
❑ We should be able to re-build and re-test every commit in the same conditions as it has been validated

❑ Gitlab

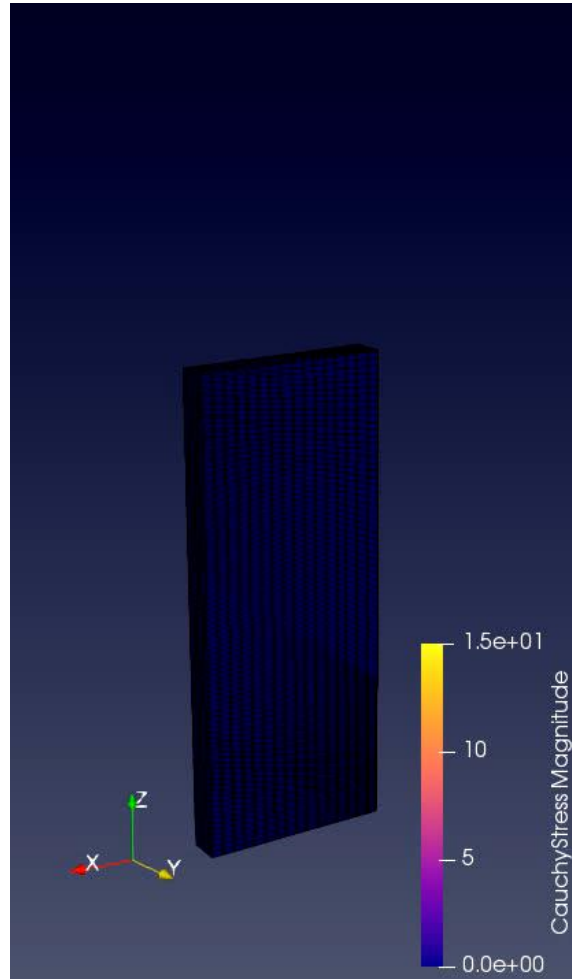
- Every modification of the source code is traced in an issue/MR, and reviewed
- Every commit is related to a MR



A few illustrations



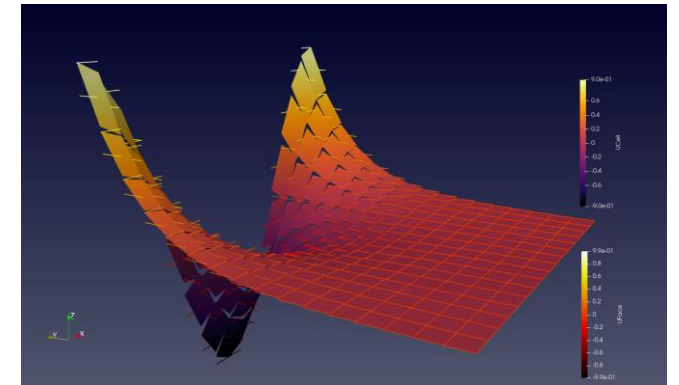
- Dynamic buckling of a beam under impact
- Shell elements



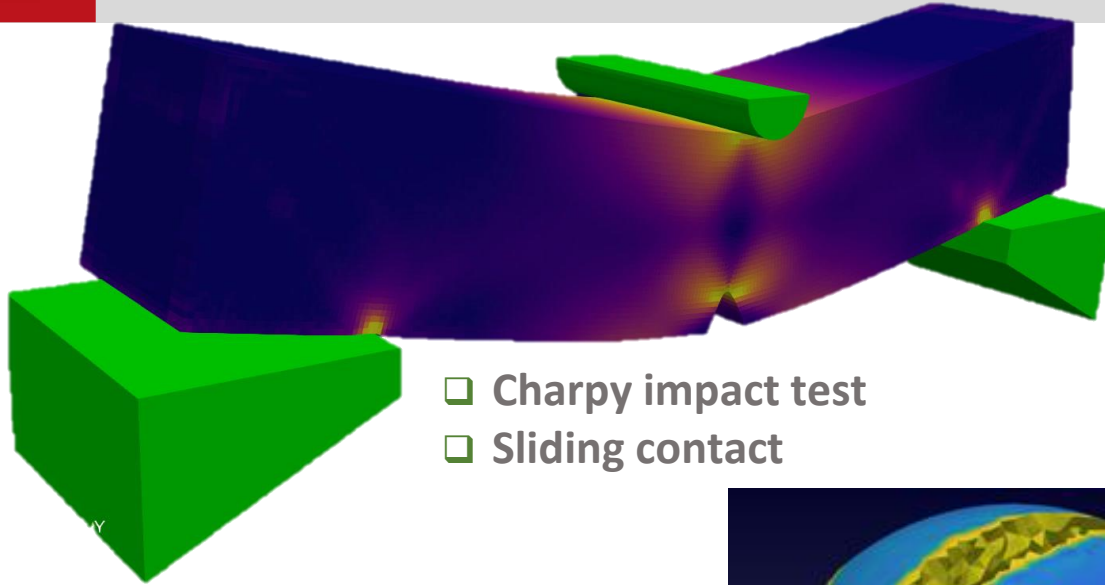
- Rupture of an elastomer
- Quadratic elements
- Transition implicite/explicite

Some features:

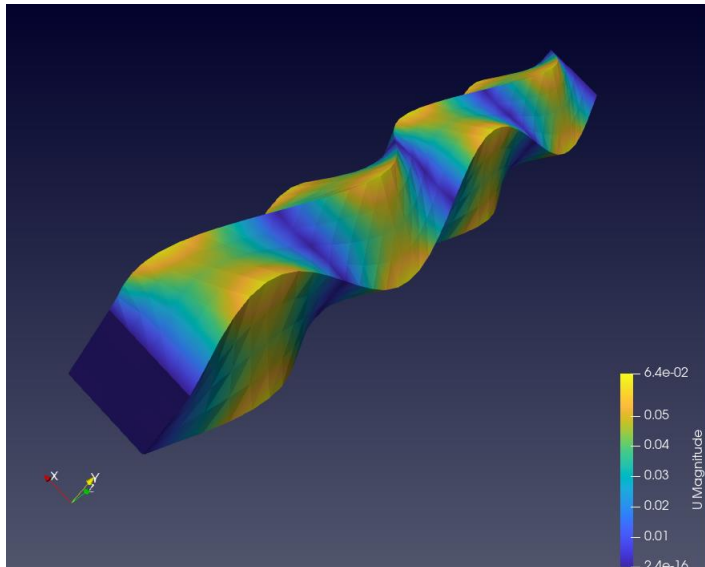
- Linear and quadratic finite elements
- Solid and structural elements (shell, beams)
- Large strain
- Complex behaviors (mfront)
- Implicit/Explicit problems
- Sliding contact
- Complex boundary conditions
- Phasefield (explicit/implicit)



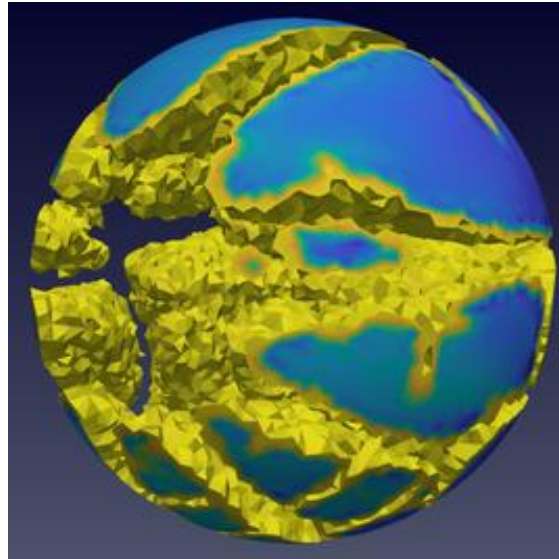
- Problème de Laplacien
- Méthode HHO



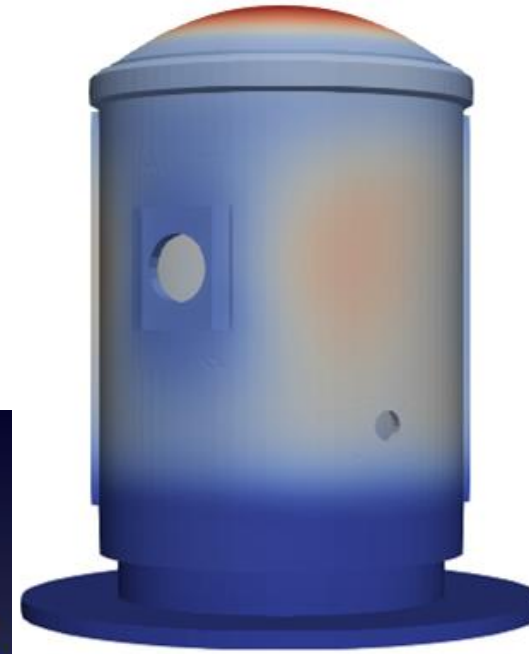
- Charpy impact test
- Sliding contact



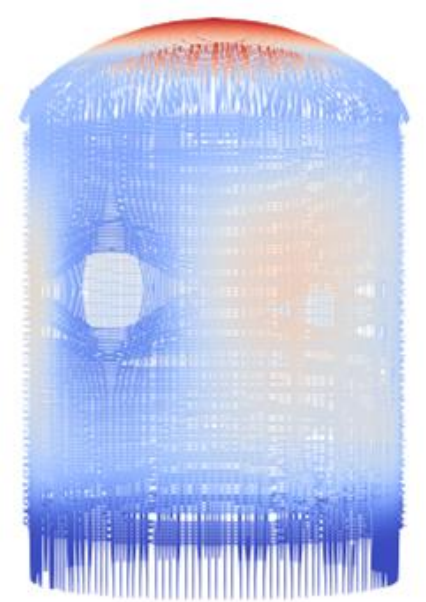
- Modal solver

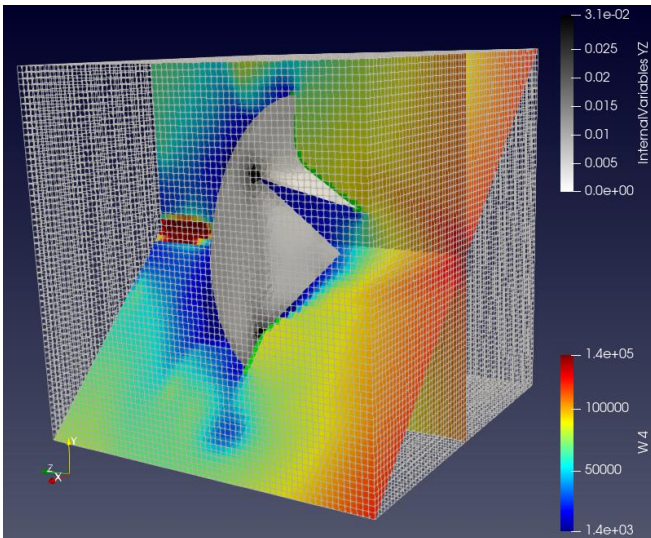


- Impact of a marble on a plane
- Phasefield

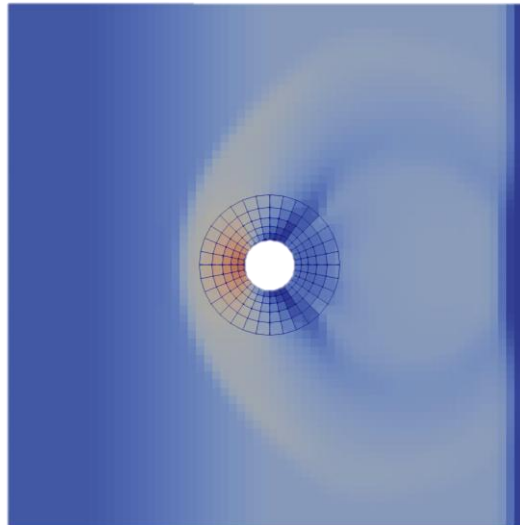


- Pressurized build
- Reinforced concrete

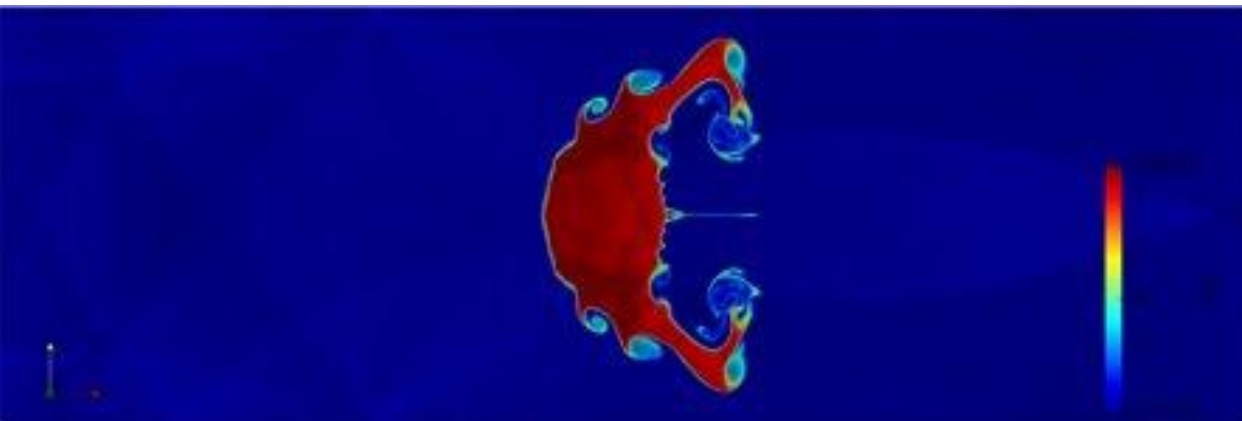




- ❑ Explosion near a metallic circular plate
- ❑ Immersed boundaries FSI
- ❑ MBM



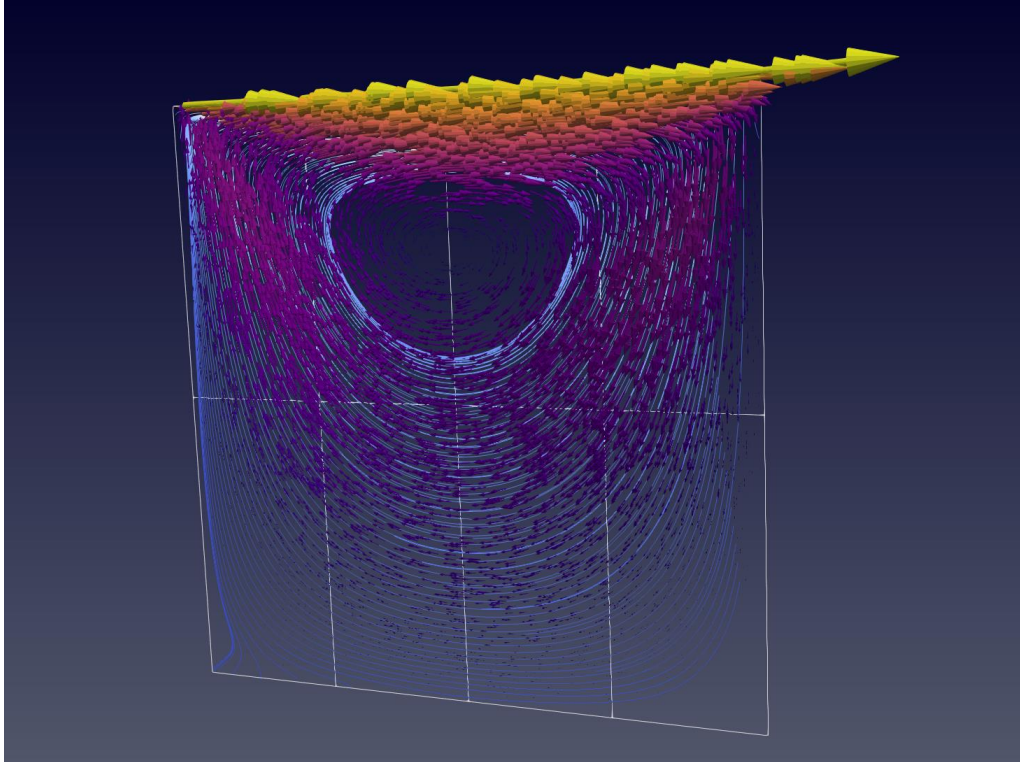
- ❑ Introduction of a cylinder into a flow through a local model
- ❑ Chimera method



- ❑ Bubble-shock interaction
- ❑ Multi-component flow

Some features:

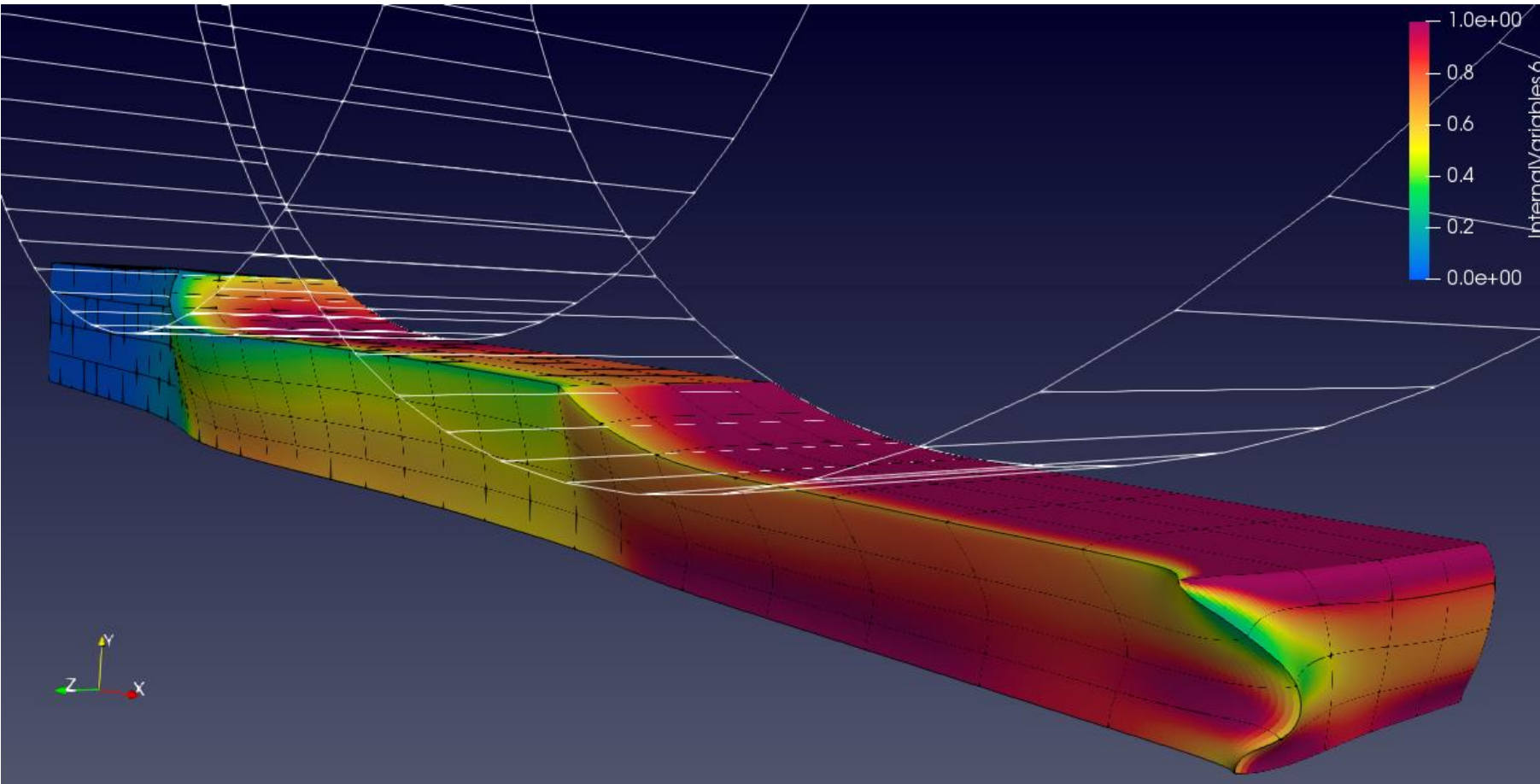
- Order 2 finite volumes
- FSI immersed boundaries (Mediating Body Method)
- Implicit/explicit temporal integration
- Euler equations
- Multi-component flows (5-equations model)
- Chimera method



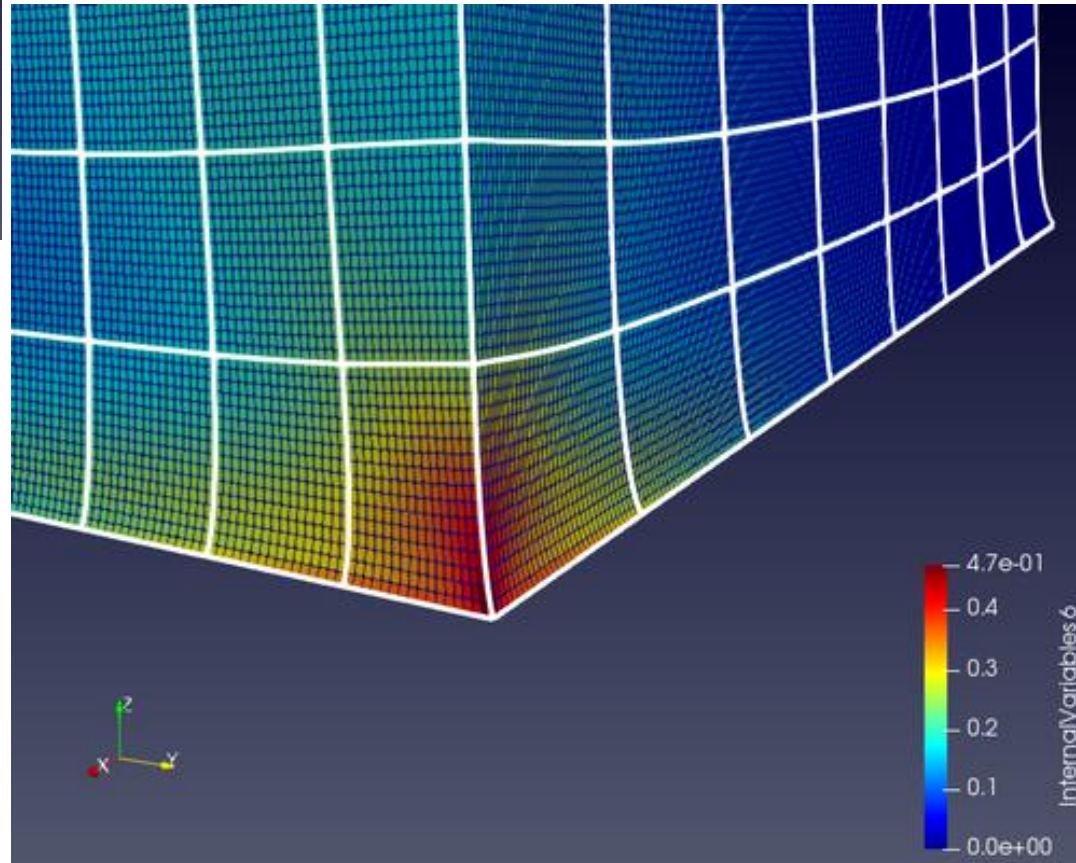
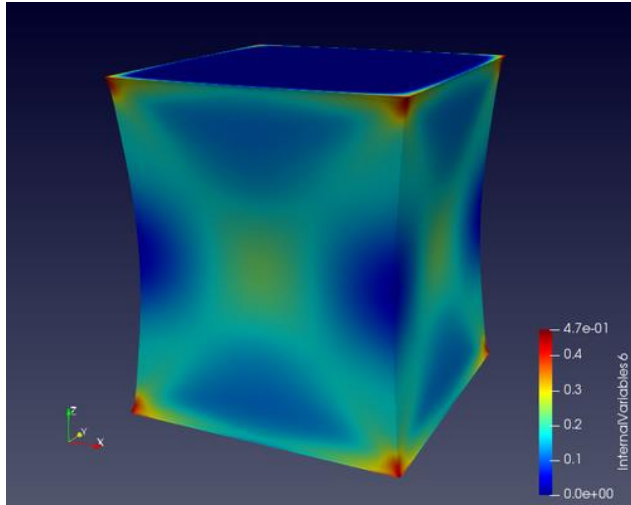
- ❑ Classical test case: lid driven viscous fluid in cavity
- ❑ Low Reynolds
- ❑ Stationnary problem

Some features:

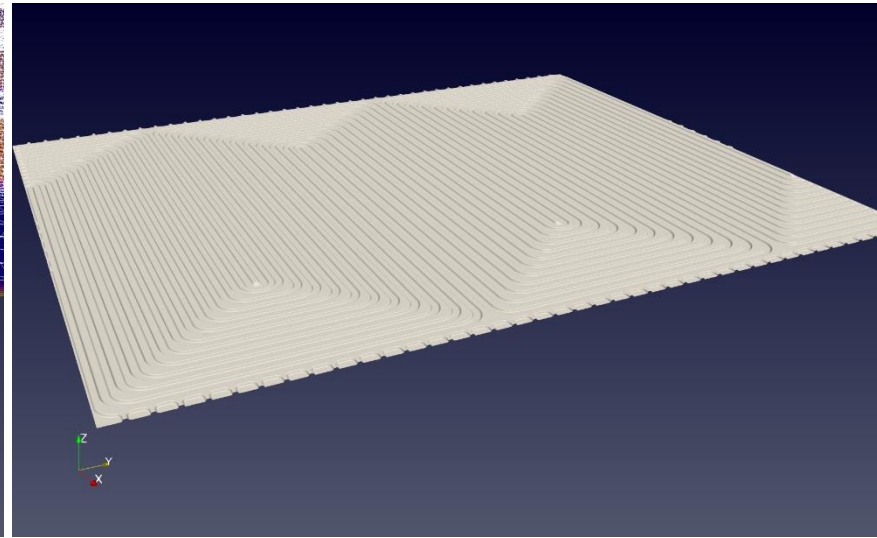
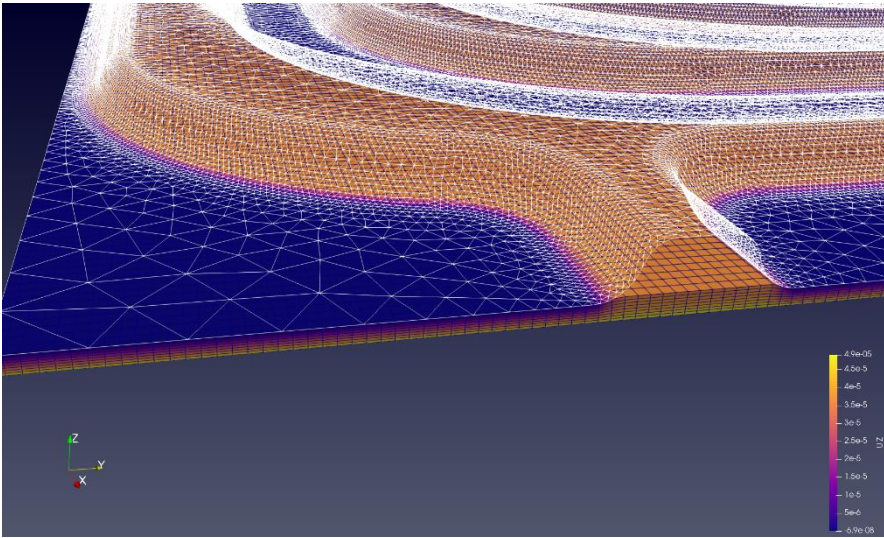
- Stokes problem
- Taylor-hood elements



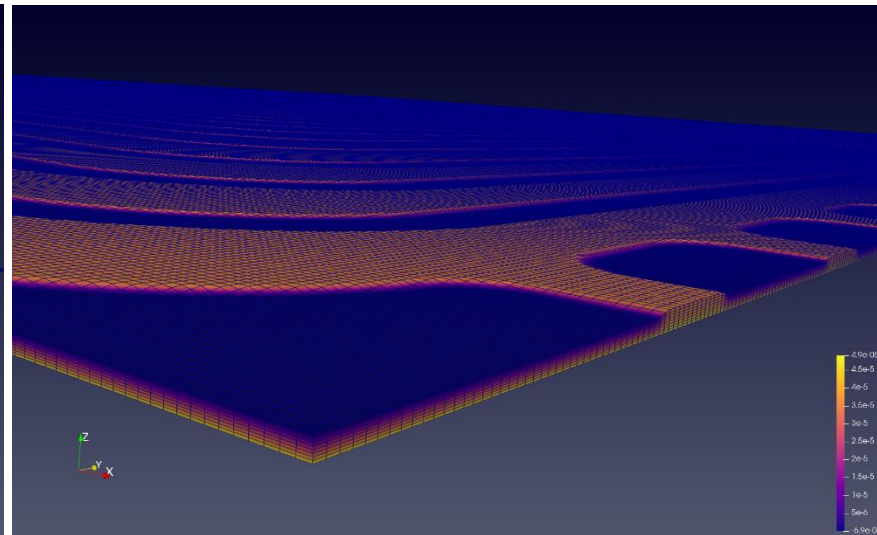
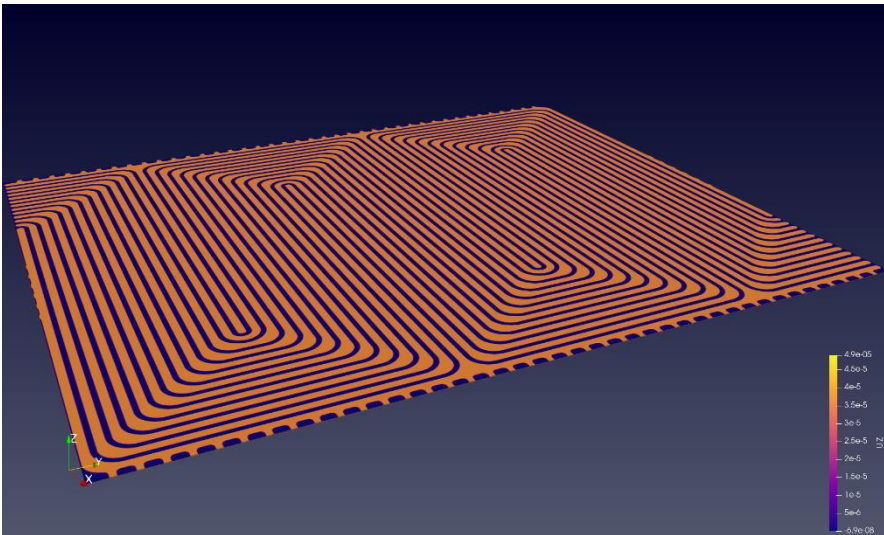
- ❑ Rolling of a steel billet
- ❑ Explicit calculation
- ❑ Sliding contact between the mills and the billet
- ❑ 24×10^6 dofs
- ❑ 512 MPI subdomains
- ❑ ~200000 time steps

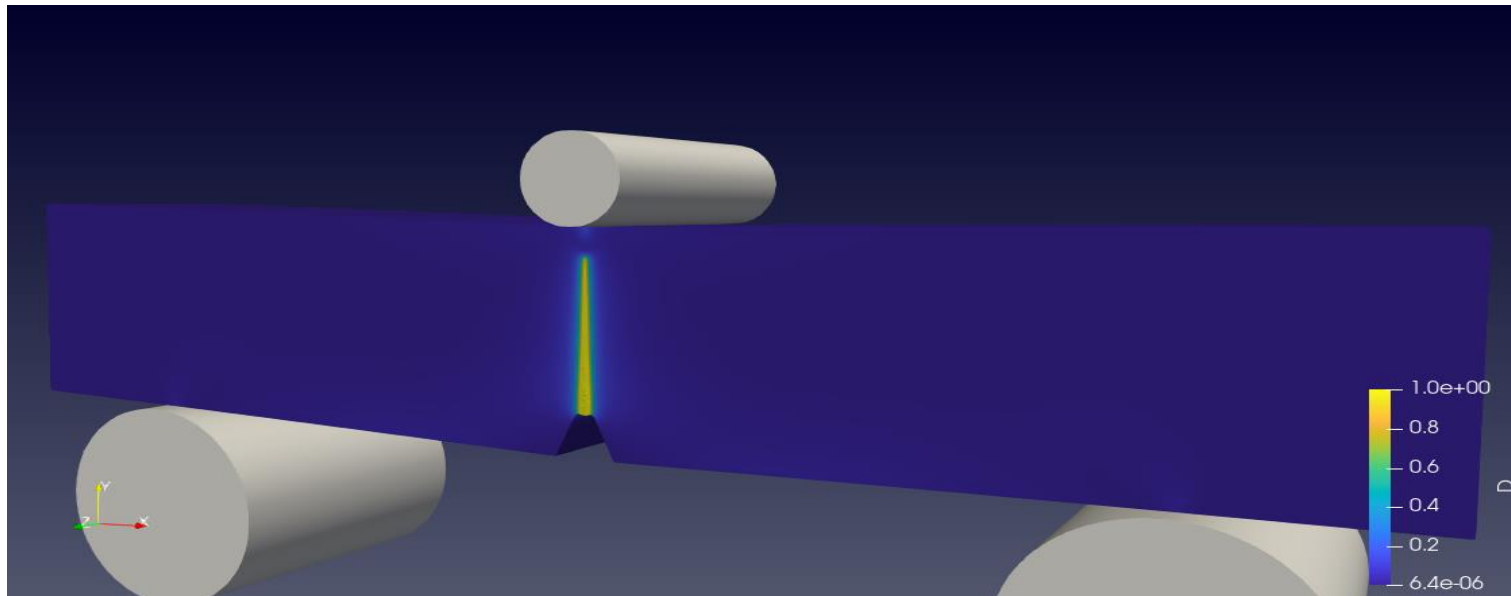


- ❑ Traction on a steel cube
- ❑ Implicit calculation
- ❑ 16% average strain (~50% locally)
- ❑ 51×10^6 dofs
- ❑ 2048 MPI subdomains
- ❑ 40 loading steps

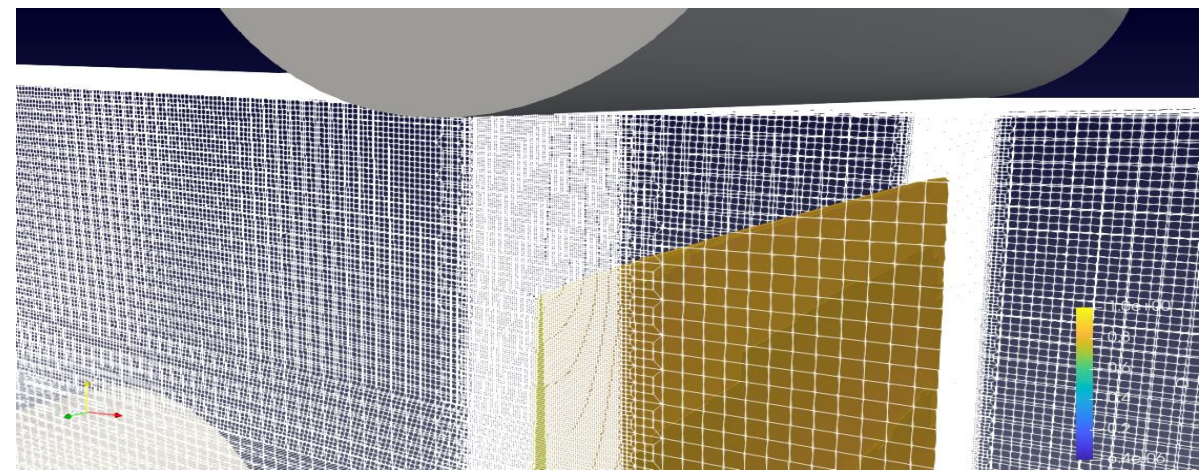
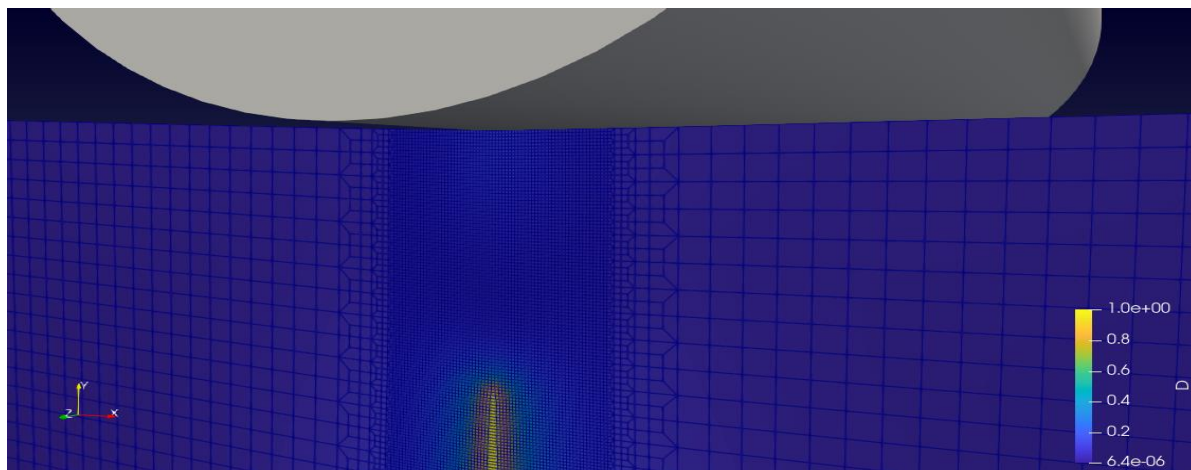


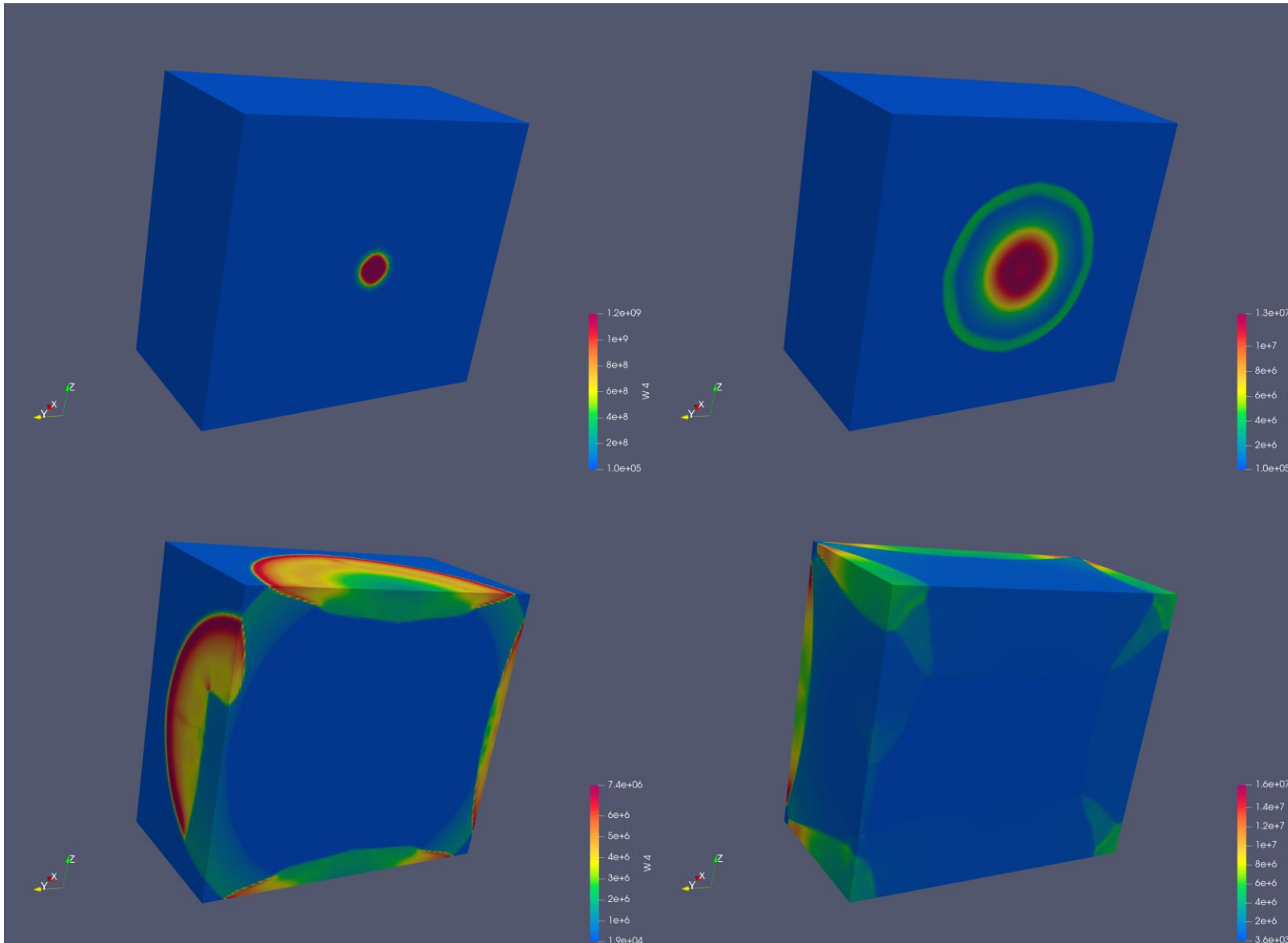
- ❑ Plate metal forming for fuel cell
- ❑ Explicit calculation
- ❑ Sliding Contact
- ❑ 84×10^6 dofs, 24×10^6 cells
- ❑ « Punch » surface : 12×10^6 triangles
- ❑ 1000 MPI subdomains





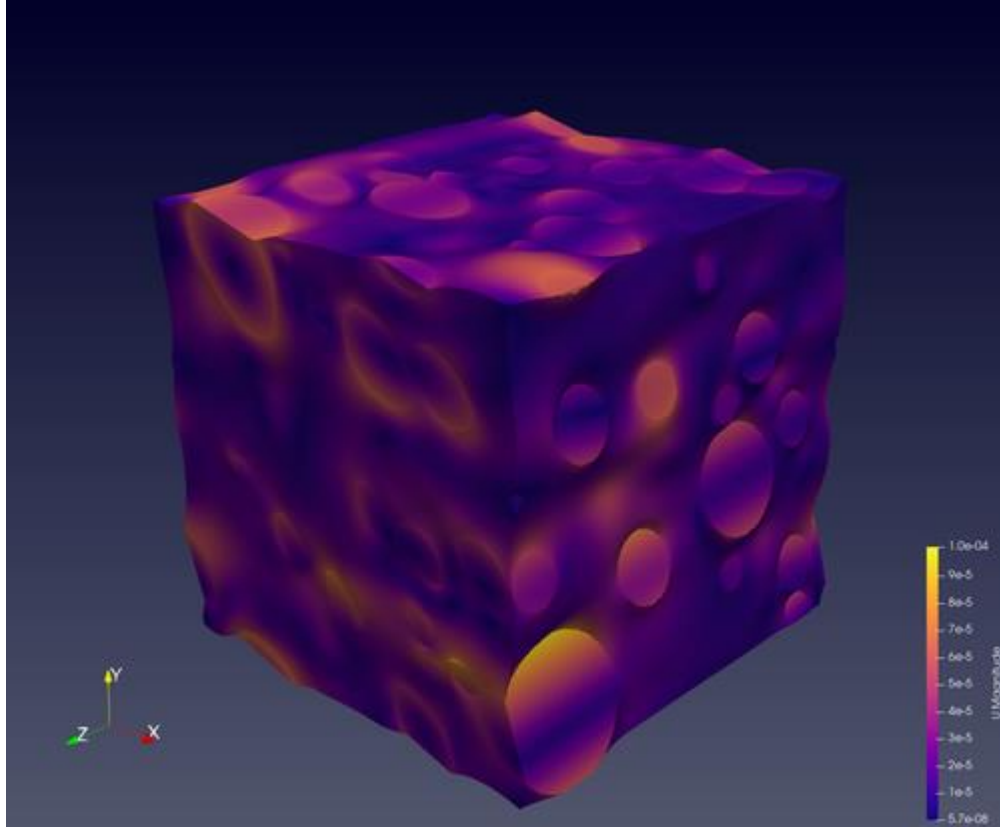
- ❑ Charpy dynamic impact test
- ❑ Explicit calculation
- ❑ Sliding contact
- ❑ Phasefield
- ❑ 67×10^6 cells
- ❑ 10 000 time steps
- ❑ 8192 MPI subdomains



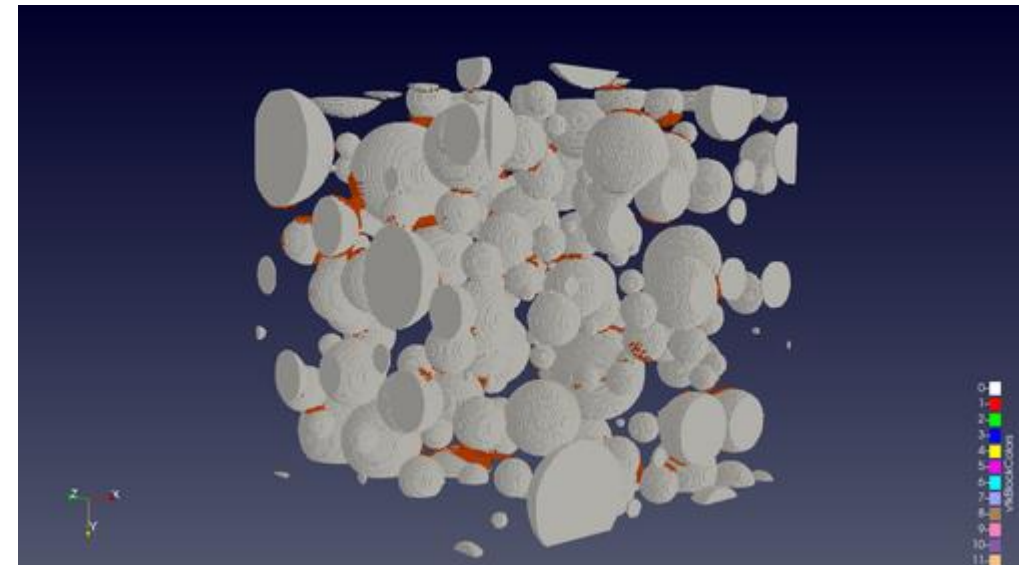


Visu: 300k cells

- ❑ “explosion” simulation
- ❑ Order 2 finite volumes
- ❑ 160×10^6 cells
- ❑ 8192 MPI subdomains
- ❑ Explicit calculation



- ❑ REV simulation
- ❑ 2-phase: elastic inclusions and elasto-plastic matrix
- ❑ Contrast: 100
- ❑ Periodic boundary conditions
- ❑ 400x10e6 dofs
- ❑ 16384 MPI subdomains
- ❑ Implicit calculation



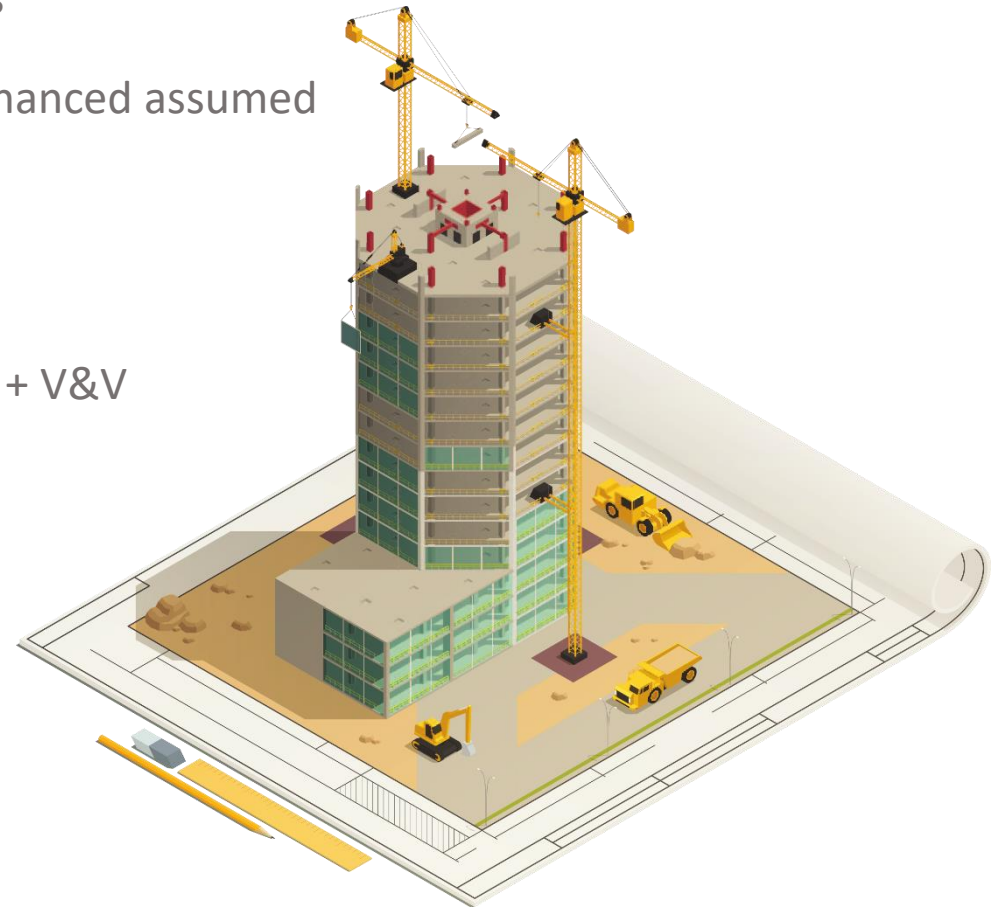
Ongoing works

❑ Generic works

- AMR
- // IO with MED
- Save/restart
- Robust non-linear solver
- Efficient solvers and preconditioners
- Performance portability (GPUs)
- APIs
 - C++ “easy”
 - Python
 - Plugins system
- Documentation

❑ And specific functionalities related to target applications

- Contact mechanics
- Anti-hourglass, enhanced assumed strains
- Erosion
- And much more ... + V&V

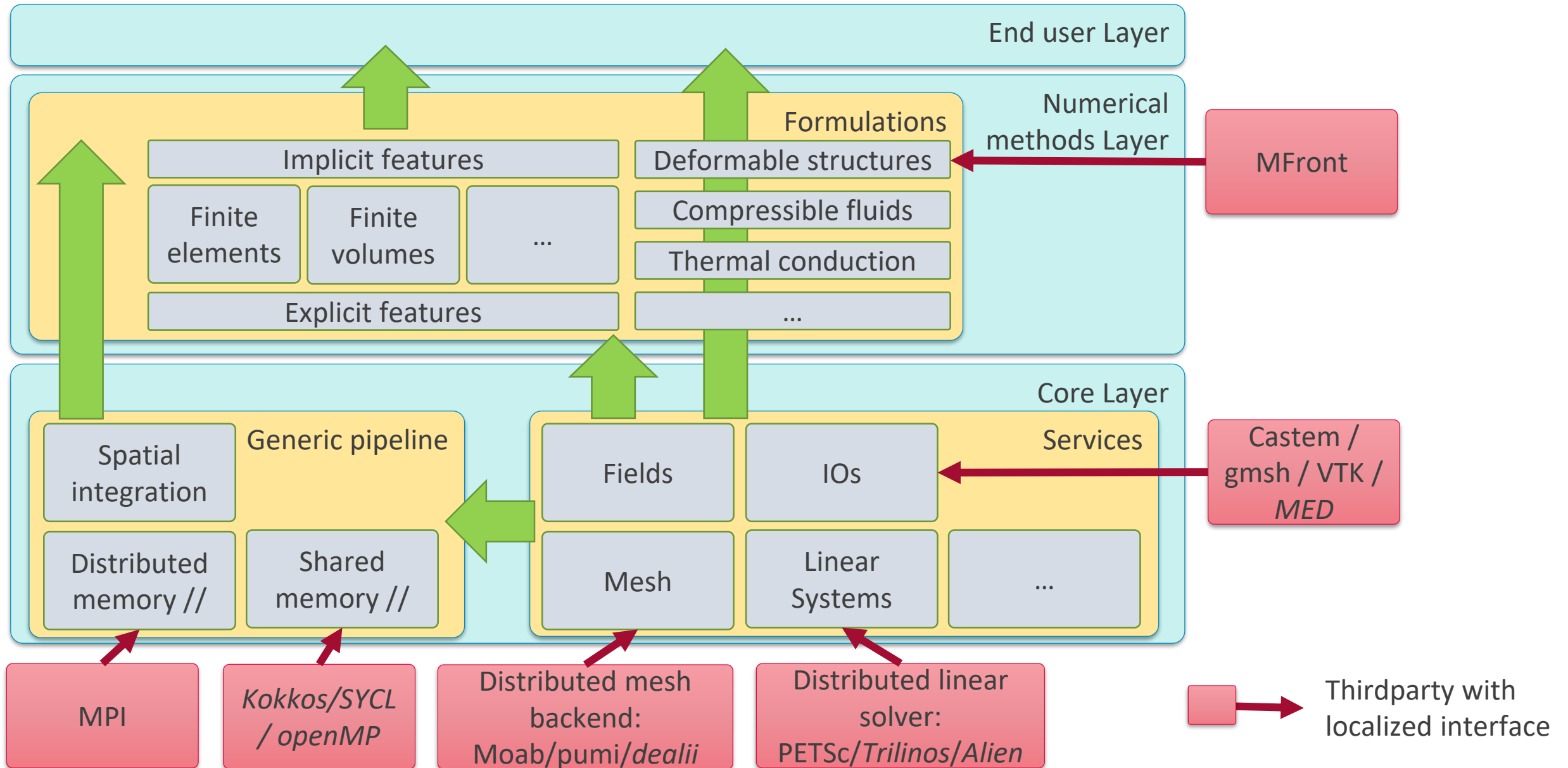




DE LA RECHERCHE À L'INDUSTRIE

Thanks for your attention!
Some questions?

Software architecture overview



□ Purpose

➤ Assemble distributed linear systems resulting from spatial integration on meshes

➤ Attach “constraints” to linear systems

➤ Solve the (saddle point problems) linear systems

➤ Support all the parallelism

$$\begin{bmatrix} A & C0^t & C1^t & \dots \\ C0 & 0 & 0 & \dots \\ C1 & 0 & 0 & \dots \\ \vdots & \vdots & \vdots & \ddots \end{bmatrix} \begin{bmatrix} X \\ \lambda 0 \\ \lambda 1 \\ \vdots \end{bmatrix} = \begin{bmatrix} B \\ D0 \\ D1 \\ \vdots \end{bmatrix}$$

□ Spatial integration

➤ Split global integral over mesh entities: $\mathbf{M} = \sum_i \mathcal{A}_i \int_{E_i} \mathbf{m}(\underline{x}) d\underline{x}$

➤ Use finite-element mapping with reference element to integrate using standard quadrature formulae:

$$\mathbf{M} = \sum_i \mathcal{A}_i \sum_j w_j \mathbf{m}(\underline{\xi}_j) |det(\underline{\phi}_i(\underline{\xi}_j))|, \text{ where } (\underline{x} \in E_i) = \underline{\phi}_i(\underline{\xi})$$

➤ Main entry points:

- `Integrand::addOn` → $w_j \mathbf{m}(\underline{\xi}_j) |det(\underline{\phi}_i(\underline{\xi}_j))|$
- `Assembler::assemble` → \mathcal{A}_i

□ EquationTerm

- $AX = B \rightarrow A = A_0 + A_1 + \dots, B = B_0 + B_1 + \dots$
- Each `EquationTerm` instance “contains” an `Integrand` and an `Assembler`

□ Formulation

- End-user interface
- Contains a set of `EquationTerm`
- Defined on a `MeshSet` (a “physical zone”)
- Can provide specific functions to the end-user
- Meant to be “attached” to a linear system to add its `EquationTerm` computations when `LinearSystem::assemble` is called.

$$\begin{cases} \int_{\Omega} \nabla^s u : \nabla^s v \, dx = \int_{\Omega} g \cdot v \, dx + \int_{\partial\Omega_N} f \cdot v \, dx \\ u = u_0 \text{ on } \partial\Omega_D \end{cases}$$

$$\begin{bmatrix} K & C^T \\ C & 0 \end{bmatrix} \begin{bmatrix} U \\ \lambda \end{bmatrix} = \begin{bmatrix} G + F \\ D \end{bmatrix}$$

Diagram illustrating the mapping of terms from the weak form to the linear system:

- K (red box) maps to **EquationTerm**.
- C^T (green box) maps to **EquationTerm**.
- C (purple box) maps to **ConstraintSet**.
- G (green box) maps to **EquationTerm**.
- F (teal box) maps to **EquationTerm**.
- D (purple box) maps to **ConstraintSet**.

The entire system is labeled **LinearSystem**.

ConstraintSet \rightarrow **LinearSystem**

$$K = \sum_{\{C_i\}} \mathcal{A}_i \left(\sum_{\{IP\}_{C_i}} B^T B \det(J) w \right)$$

Diagram illustrating the assembly of the stiffness matrix K :

- \mathcal{A}_i (yellow box) is labeled **Assembler**.
- $B^T B \det(J) w$ (yellow box) is labeled **Integrand**.

□ Lagrange multipliers elimination

- Several methods available
 - Inexact: penalty method
 - Exact: Ainsworth method, master/slave method
- The application of elimination methods is `ConstraintSet`-wise
- The non-eliminated `ConstraintSet` are gathered. The saddle-point system is treated by PETSc.
 - By default, as a “Nested” system (“Fieldsplit” preconditionners)
 - Schur elimination, Golub-Kahan method, ...
 - Can be turned by manta to a “monolithic” system (mainly for debugging purposes)
 - Pass solver options using PETSc’s dynamic options system: CLI or file

$$\begin{bmatrix} A & C0^t & C1^t & \dots \\ C0 & 0 & 0 & \dots \\ C1 & 0 & 0 & \dots \\ \vdots & \vdots & \vdots & \ddots \end{bmatrix} \begin{bmatrix} X \\ \lambda 0 \\ \lambda 1 \\ \vdots \end{bmatrix} = \begin{bmatrix} B \\ D0 \\ D1 \\ \vdots \end{bmatrix}$$

□ Encapsulation

- The end-user never handles the internal distributed matrices/vectors
- Get/set data using manta’s fields
- `LinearSystem::updateField`, `LinearSystem::applyLSH`, `LinearSystem::getRHS`,
`LinearSystem::setRHS`, ...

❑ MPI only at this time

- Decomposition of the global mesh into subdomains: each MPI process works out and stores only its subdomain (1 subdomain per MPI process)
 - “Almost (ghosts) Total” distribution of data

❑ Current work for performance portability

- Hybrid MPI+CPU-threads is not a goal in itself

❑ “Automatic” parallelism

- Generic “pipeline”
 - only loops over local entities for the integration (but the entry points can use ghost cells) → implementing the entry points is the same as in sequential
- Ghosting
 - Each process can replicate any mesh cell owned by another process → ghost cell
 - When imported, a ghost entity carries all the data it is related to (*e.g.* MeshSet belongings), and recursively for its lower dimensional entities (may induce an excess of communication volume)
 - A ghost entity (as a local one) should be the same as in sequential
 - Functions to synchronize field values on ghost entities

- ❑ Mesh
- ❑ Data fields
- ❑ “Zones” management
- ❑ Dense linear algebra
- ❑ Linear system, sparse matrix handling
- ❑ IOs
- ❑ Shape functions (Lagrange, serendipity, monomial basis)
- ❑ Configurations (initial, current, last) management for Lagrangian/ALE approaches
- ❑ Computational geometry
- ❑ Generic algorithms (Newton-Raphson, ...)

- ❑ Non conforming AMR
- ❑ Performance portability
- ❑ IO //
- ❑ Save/restart, fault tolerance
- ❑ Distributed computational geometry
- ❑ APIs, documentation, distribution, ...